

Practice Set 9 Discrete Probability Distributions

- I. Darin sells three different Walkman CD recorders; one for \$149, one for \$159, and a third for \$169. Of the 187 machines sold during a recent period, 43 were the least expensive, 90 were moderately priced, and 54 were the expensive model.
- A. Calculate the expected price of Walkman CD recorders.

Sales Price (x)	Number of Sales	Probability P(x)	x • P(x)
\$149	43	43/187 = .230	\$34.27
159	90	90/187 = .481	76.48
169	<u>54</u>	54/187 = <u>.289</u>	<u>48.84</u>
	187	1.00	\$159.59

- B. Compare this answer to the page 12 weighted mean sales value of Walkman sales.

The answers are the same.

- C. In theory, what is the difference between a weighted mean of variable x and the expected value of x?

A weighted mean concerns existing data and the expected value of x concerns data that could exist.

- II. When waiting on a customer, Darin's salespeople make a sale 60% of the time (see page 42). Use the binomial formula to calculate the probability of making exactly 3 sales to 5 customers.

Given

$$p = .6$$

$$q = 1 - p = .4$$

$$n = 5$$

$$x = 3$$

$$P(x) = \frac{n!}{x!(n-x)!} p^x q^{n-x}$$

$$P(3) = \frac{5!}{3!(5-3)!} \cdot 6^3 \cdot 4^{5-3}$$

$$= \frac{5 \times 4 \times 3 \times 2 \times 1}{3 \times 2 \times 1 \times 2 \times 1} \times .216 \times .16$$

$$= 10 \times .03456 = .3456 \text{ or } 34.6\%$$

- III. Using the appropriate table, complete the binomial distribution described by question II.

Binomial Probability Distribution n = 5, p = .6 and q = 1 - p = .4	
# of sales (x)	P(x)
0	.010
1	.077
2	.230
3	.346
4	.259
5	<u>.078</u>
Total	1.000

Note: Lulu thought a graph of this distribution might prove interesting.

